

Leaf-level photosynthesis: theory and measurement

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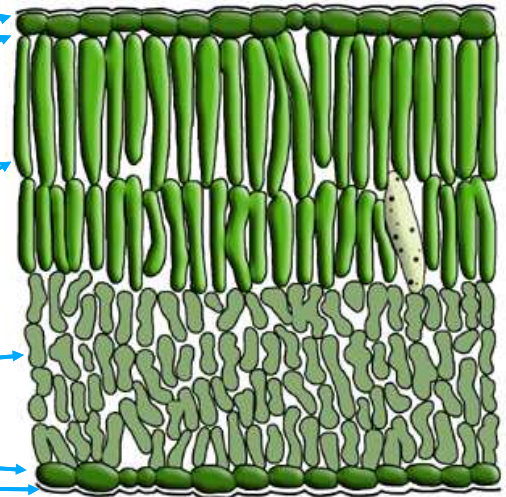


Why use gas exchange & fluorescence?

- Non-destructive way to investigate some aspects of photosynthesis
- Provides information on canopy CO₂ flux that can be used in models

Leaves:

- 4-10 cells thick
- Cuticle
- Upper epidermis
- Palisade mesophyll cells (~70% of chloroplasts)
- Spongy mesophyll cells
- Lower epidermis
- Cuticle

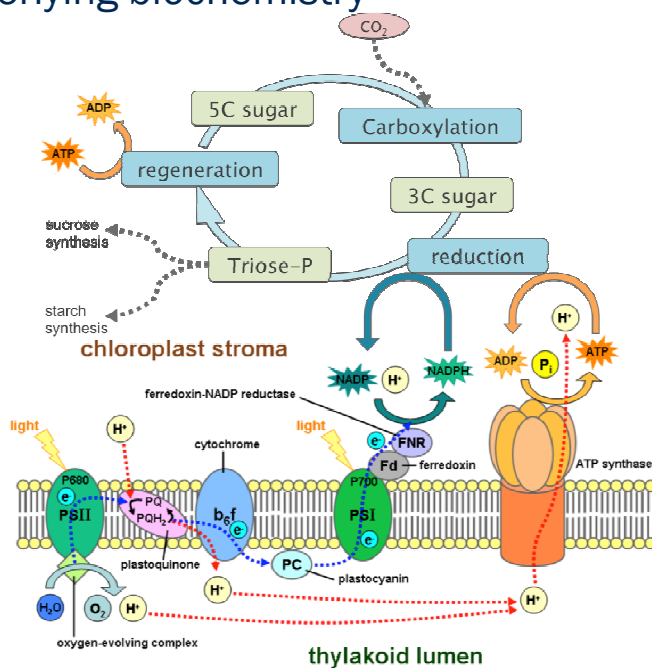
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How do we measure photosynthesis?

Reviewing the basic underlying biochemistry

Dark reactions (also called light-independent reactions, Calvin-Benson-Bassham Cycle, reductive pentose phosphate cycle). These reactions fix CO_2 using ribulose 1,5-bisphosphate.

Light reactions (light dependent reactions) absorb light energy and convert it into chemical energy in the form of ATP and NADPH.



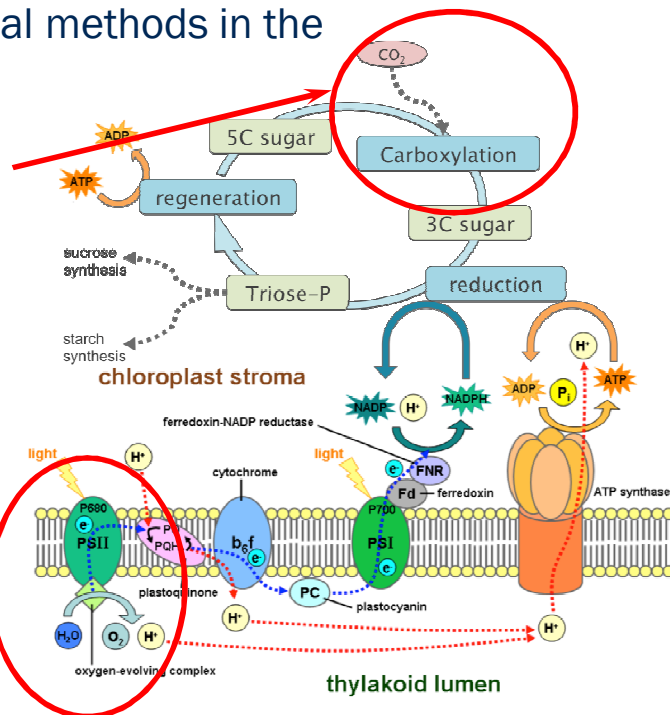
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How do we measure photosynthesis?

We use two fundamental methods in the LI-6400 and LI-6800

1. Gas exchange: CO_2 and H_2O

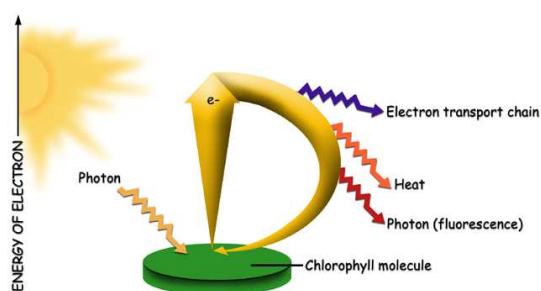
2. Chlorophyll Fluorescence



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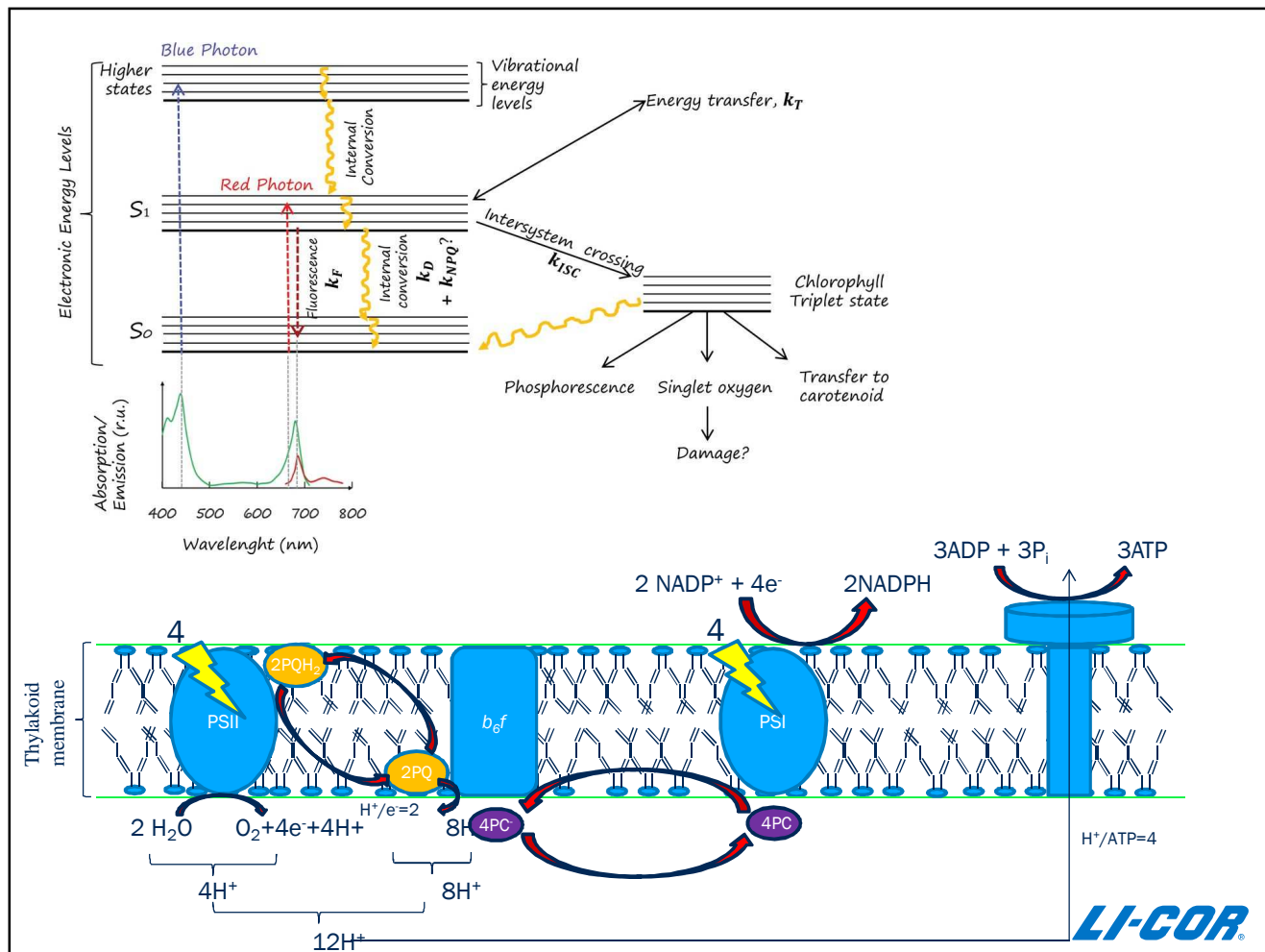
Chlorophyll fluorescence

- The basics



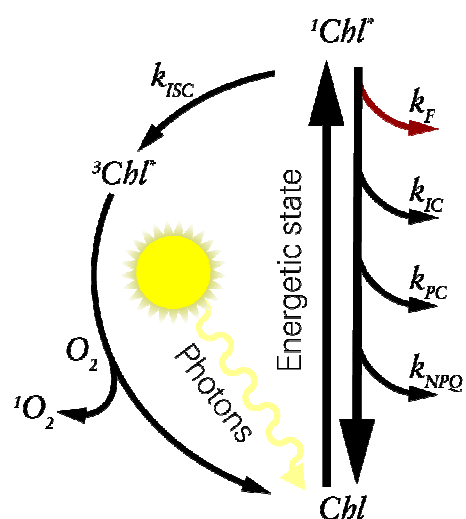
1. A photon is absorbed by a chlorophyll in the PSII antenna complex and chlorophyll enters an excited state
2. Energy from excited may eventually be funneled to reaction center chlorophyll
3. Absorption by reaction center chlorophyll results in e^- becoming excited & entering a higher-energy orbital
4. Electron has various fates: (1) electron transport chain; (2) releases energy through NPQ; (3) release energy through fluorescence and (4) energy release through other processes

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Chlorophyll fluorescence

- Fluorescence is one of several competing de-excitation pathways



Fluorescence Flux:

$$F_F = Q \frac{k_F}{\sum[k_F + k_{NPQ} + k_{PC} + k_{IC} + k_{ISC}]}$$

Fluorescence Yield:

$$\Phi_F = \frac{F_F}{Q} = \frac{k_F}{\sum[k_F + k_{NPQ} + k_{PC} + k_{IC} + k_{ISC}]}$$

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Fluorescence parameters are defined by the rate constants

Dark adapted parameters (F_0 and F_m)

$$F_0 = \frac{k_F}{\sum[k_F + k_{PC[Q_A=1]} + k_{IC} + k_{ISC}]}$$

Note that in a dark-adapted state, all reaction centers are open and NPQ is zero when determining F_0 .

$$F_m = \frac{k_F}{\sum[k_F + k_{IC} + k_{ISC}]}$$

Note that for F_m , all reaction centers are closed ($Q_A = 0$) and thus $k_{PC} = 0$. NPQ is still zero.

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Fluorescence parameters are defined by the rate constants

Light adapted parameters (F_s and F_m')

$$F_s = \frac{k_F}{\sum[k_F + k_{NPQ[0 < x \leq 1]} + k_{PC[0 < Q_A \leq 1]} + k_{IC} + k_{ISC}]}$$

Note that in a light adapted state, some fraction of Q_A is open and NPQ is not zero.

$$F_m' = \frac{k_F}{\sum[k_F + k_{NPQ[0 < x \leq 1]} + k_{IC} + k_{ISC}]}$$

Note that for F_m' all reaction centers are closed ($Q_A = 0$) during the flash and thus $k_{PC} = 0$. NPQ is NOT zero.

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What can chlorophyll fluorescence tell us?

- Quantum efficiencies

$$\frac{F_v}{F_m} \quad \Phi_{PSII} = \frac{\Delta F}{F'_m}$$

- Electron transport rate

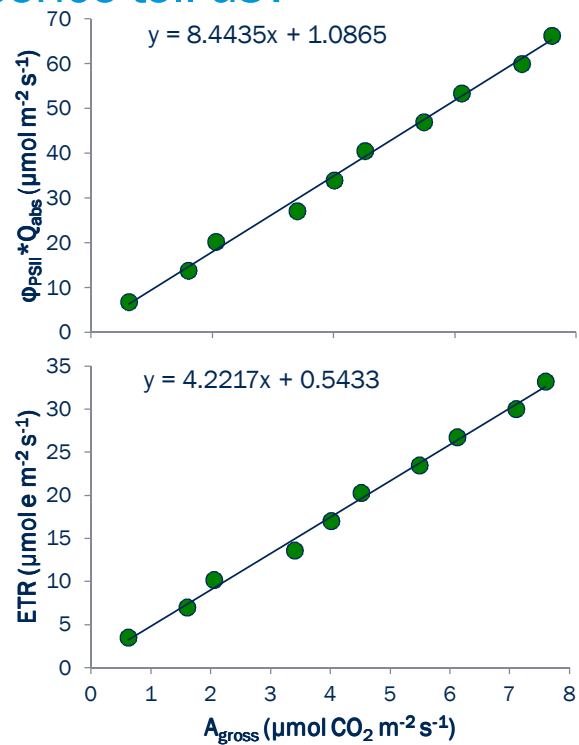
$$ETR = \Phi_{PSII} f Q \alpha_{leaf}$$

f = Fraction of photons going to PSII

α_{leaf} = Absorption at measurement wavelengths

- Non-photochemical quenching

$$NPQ = \frac{F_m - F'_m}{F'_m}$$



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$$P_{dark} = \frac{F_m - F_o}{F_m} = \frac{F_v}{F_m}$$

$$P_{light} = \frac{F_m' - F_s}{F_m'} = \frac{\Delta F}{F_m'} = \Phi_{PSII}$$

$$ETR = \left(\frac{F_m' - F_s}{F_m'} \right) fI\alpha_{leaf}$$

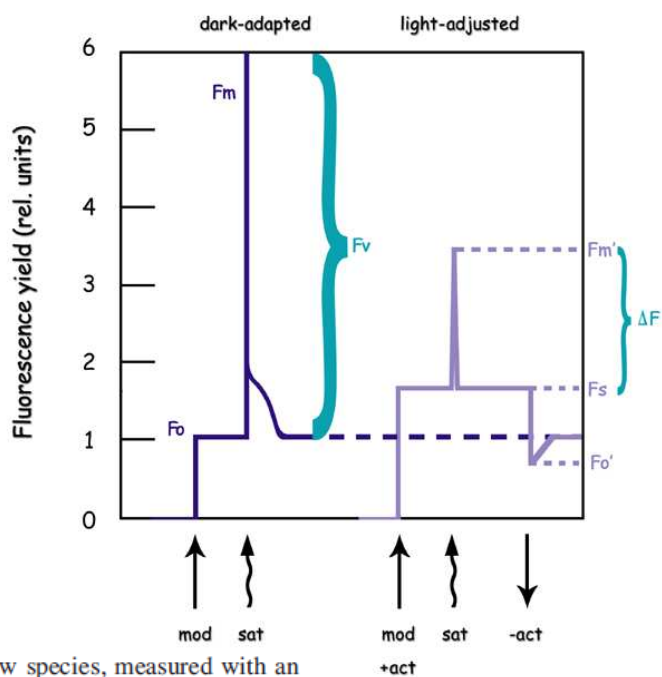
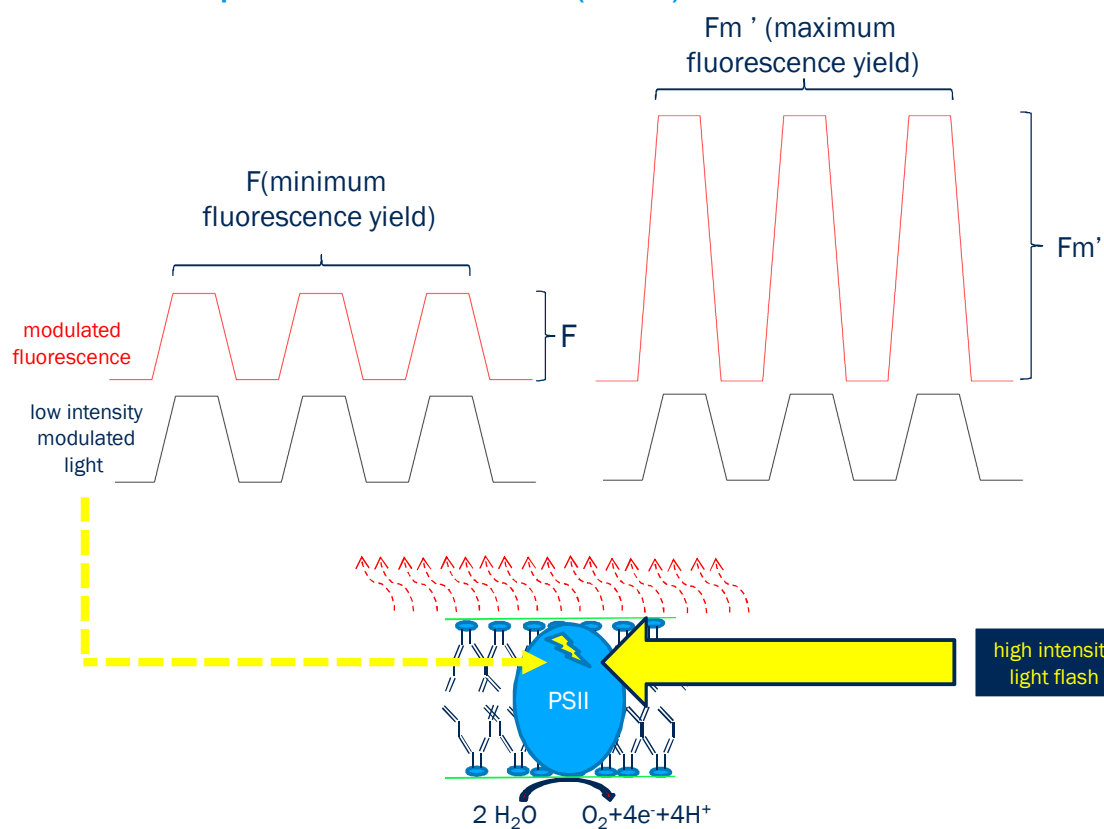


Table 27-15. Leaf absorptances in blue and red for a few species, measured with an LI-1800 spectroradiometer.

Species	α_{blue}	α_{red}
Maize	0.90	0.85
Bean	0.91	0.83
Jasmine	0.92	0.87
Orange	0.94	0.93

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Pulse amplitude modulated (PAM) fluorescence

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Some useful references

- Overview:

- Maxwell and Johnson. 2000. *Chlorophyll fluorescence – a practical guide*. Journal of Experimental Botany
- Murchie and Lawson. 2013. *Chlorophyll fluorescence analysis: a guide to good practice and understanding some new applications*. Journal of Experimental Botany
- Porcar-Castell et al. 2014. *Linking chlorophyll a fluorescence to photosynthesis for remote sensing applications: mechanisms and challenges*. Journal of Experimental Botany

- Application:

- Baker and Rosenqvist. 2004. *Applications of chlorophyll fluorescence can improve crop production strategies: an examination of future possibilities*. Journal of Experimental Botany

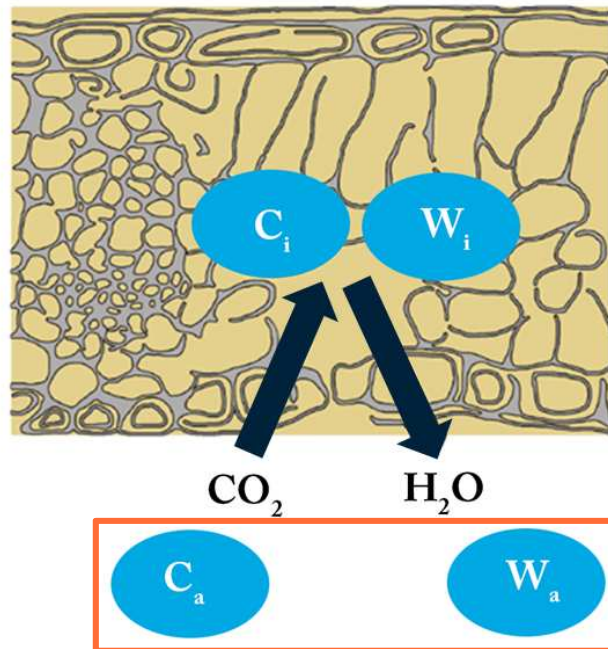
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Gas Exchange: Theory and calculations

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Gas exchange – what do the LI-6800 and LI-6400 measure?

- The LI-6800 and LI-6400 fundamentally measure the CO_2 and water vapor concentrations in the air surrounding the leaf.
- CO_2 and water vapor concentrations are also known of the air before it enters the leaf chamber.
- Leaf temperature is measured using a leaf thermocouple that is directly in contact with the leaf.

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How are photosynthesis & transpiration measured in an enclosure?

- **Closed System**

$$A = \Delta \text{CO}_2 V (\Delta t S)^{-1}$$

- **No air enters or leaves the system**

- Leaks can cause large errors

- **Transient measurement**

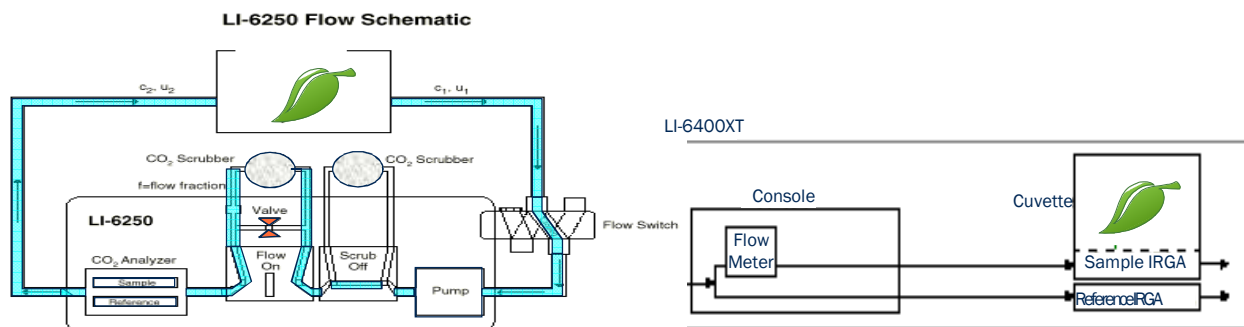
CO_2 , H_2O , T & P changes

- **Open System**

$$A = (u_e c_e - u_o c_o) S^{-1}$$

- Flow of air must be constant & known (accurate flow meter)

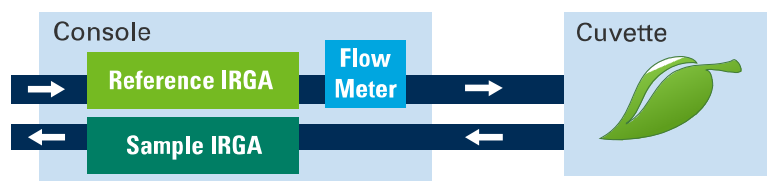
- **Steady-state measurement**
controlling environmental variables



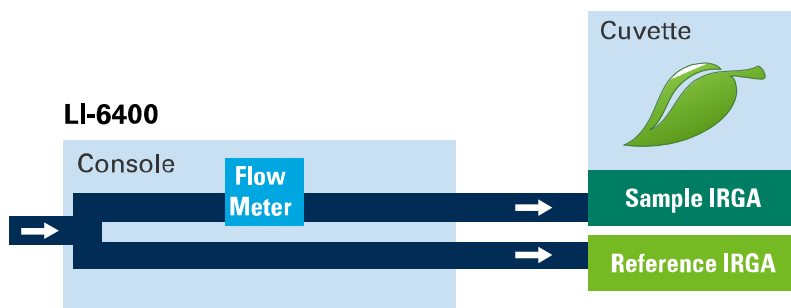
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Open system design variations

Traditional Open System



LI-6400

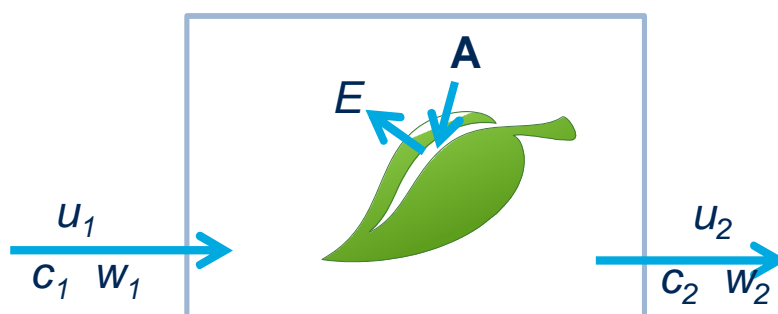


$$\text{Photo} = \frac{\text{Flow} \times \Delta\text{CO}_2}{\text{Area}}$$

$$\text{Trans} = \frac{\text{Flow} \times \Delta\text{H}_2\text{O}}{\text{Area}}$$

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Mass balance in an open system



- s leaf area
- E transpiration
- u flow rate
- w concentration of water vapor
- A carbon assimilation
- c concentration of CO₂

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Mass balance in an open system

- A simple representation of transpiration (E) and CO₂ assimilation (A):

$$E \approx \frac{u(w_2 - w_1)}{s} \approx \frac{u(\Delta w)}{s} \approx \frac{\text{flow} \times (\Delta \text{concentration})}{\text{leaf area}}$$

$$A \approx \frac{u(c_2 - c_1)}{s} \approx \frac{u(\Delta c)}{s} \approx \frac{\text{flow} \times (\Delta \text{concentration})}{\text{leaf area}}$$

In reality, mass balance is a little more complicated for calculating E and A!

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Mass balance for H₂O (water vapor)

- Mass balance is fundamental to instrument operation
- Mass balance is used to compute transpiration (E) and assimilation (A)
- Basic mass balance setup for H₂O in leaf chamber:

$$\left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{H}_2\text{O into system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} - \left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{H}_2\text{O out of system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} + \left\{ \begin{array}{l} \text{Rate of generation of} \\ \text{H}_2\text{O in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} = \left\{ \begin{array}{l} \text{Rate of accumulation of} \\ \text{H}_2\text{O in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\}$$

$$u_1 w_1 - u_2 w_2 + sE = \frac{dW}{dt}$$

Variable definitions	
u_1, u_2	Air flow rate (mole air s ⁻¹)
w_1, w_2	H ₂ O mole fraction (mole H ₂ O mole air ⁻¹)
s	Leaf area (m ²)
E	Leaf transpiration (mole H ₂ O m ⁻² s ⁻¹)
$\frac{dW}{dt}$	Change in H ₂ O moles in leaf chamber per unit time (mole H ₂ O s ⁻¹)

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Mass balance for H₂O (water vapor)

$$\left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{H}_2\text{O into system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} - \left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{H}_2\text{O out of system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} + \left\{ \begin{array}{l} \text{Rate of generation of} \\ \text{H}_2\text{O in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} = \left\{ \begin{array}{l} \text{Rate of accumulation of} \\ \text{H}_2\text{O in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\}$$

$$u_1 w_1 - u_2 w_2 + sE = \frac{dW}{dt}$$

At **STEADY STATE:**

$$\frac{dW}{dt} = 0$$



$$u_1 w_1 - u_2 w_2 + sE = 0$$

$$sE = u_2 w_2 - u_1 w_1$$

$$\text{Note: } u_2 = u_1 + sE$$

$$sE = (u_1 + sE)w_2 - u_1 w_1$$

$$E = \frac{u_1(w_2 - w_1)}{s(1 - w_2)}$$

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Mass balance for CO₂

- Basic mass balance setup for CO₂ in leaf chamber:

$$\left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{CO}_2 \text{ into system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} - \left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{CO}_2 \text{ out of system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} + \left\{ \begin{array}{l} \text{Rate of generation of} \\ \text{CO}_2 \text{ in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} = \left\{ \begin{array}{l} \text{Rate of accumulation of} \\ \text{CO}_2 \text{ in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\}$$

$$u_1 c_1 - u_2 c_2 - sA = \frac{dC}{dt}$$

Variable definitions	
u_1, u_2	Air flow rate (mole air s ⁻¹)
c_1, c_2	CO ₂ mole fraction (mole CO ₂ mole air ⁻¹)
s	Leaf area (m ²)
A	Leaf assimilation (mole CO ₂ m ⁻² s ⁻¹)
$\frac{dC}{dt}$	Change in CO ₂ moles in leaf chamber per unit time (mole CO ₂ s ⁻¹)

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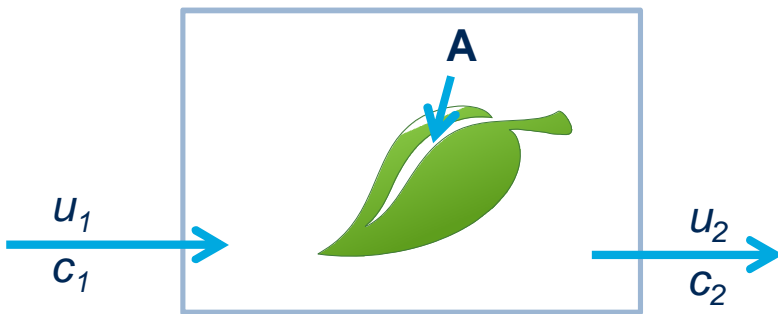
Mass balance for CO₂

- Basic mass balance setup for CO₂ in leaf chamber:

$$\left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{CO}_2 \text{ into system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} - \left\{ \begin{array}{l} \text{Rate of flow of} \\ \text{CO}_2 \text{ out of system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} + \left\{ \begin{array}{l} \text{Rate of generation of} \\ \text{CO}_2 \text{ in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\} = \left\{ \begin{array}{l} \text{Rate of accumulation of} \\ \text{CO}_2 \text{ in system} \\ \text{(mole s}^{-1}\text{)} \end{array} \right\}$$

$$u_1 c_1 - u_2 c_2 - sA = \frac{dC}{dt}$$

At **STEADY STATE**: $\frac{dC}{dt} = 0$



$$sA = u_1 c_1 - u_2 c_2$$

Note: $u_2 = u_1 + sE$

$$sA = u_1 c_1 - (u_1 + sE)c_2$$

$$A = \frac{u_1(c_1 - c_2)}{s} + c_2 E$$

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How it is done in the LI-6800 and LI-6400XT:
Accounting for dilution and unit conversions

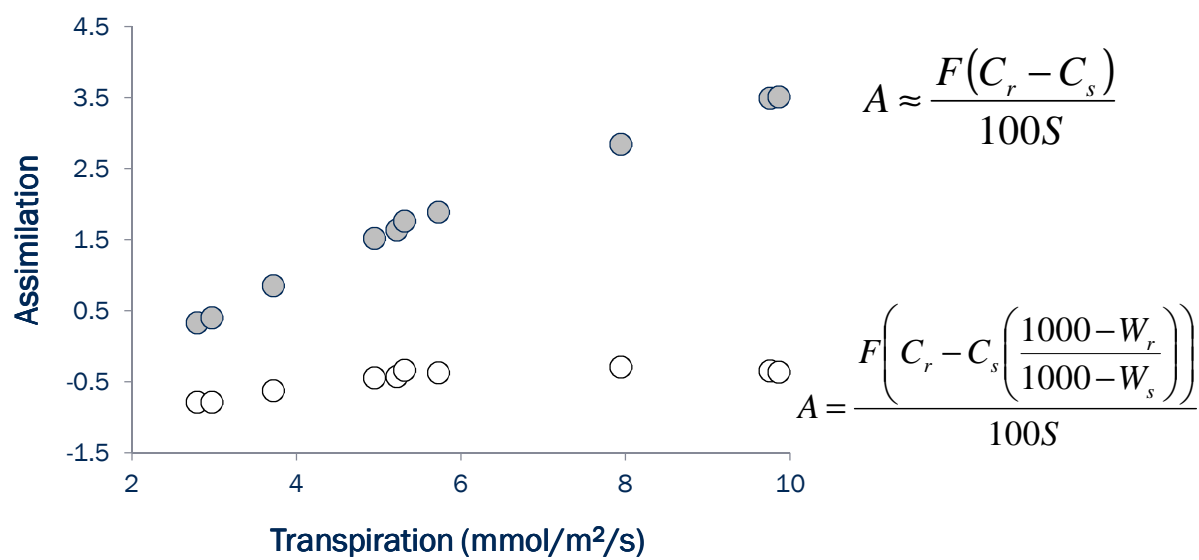
$$E = \frac{F(W_s - W_r)}{100S(1000 - W_s)}$$

$$A = \frac{F \left(C_r - C_s \left(\frac{1000 - W_r}{1000 - W_s} \right) \right)}{100S}$$

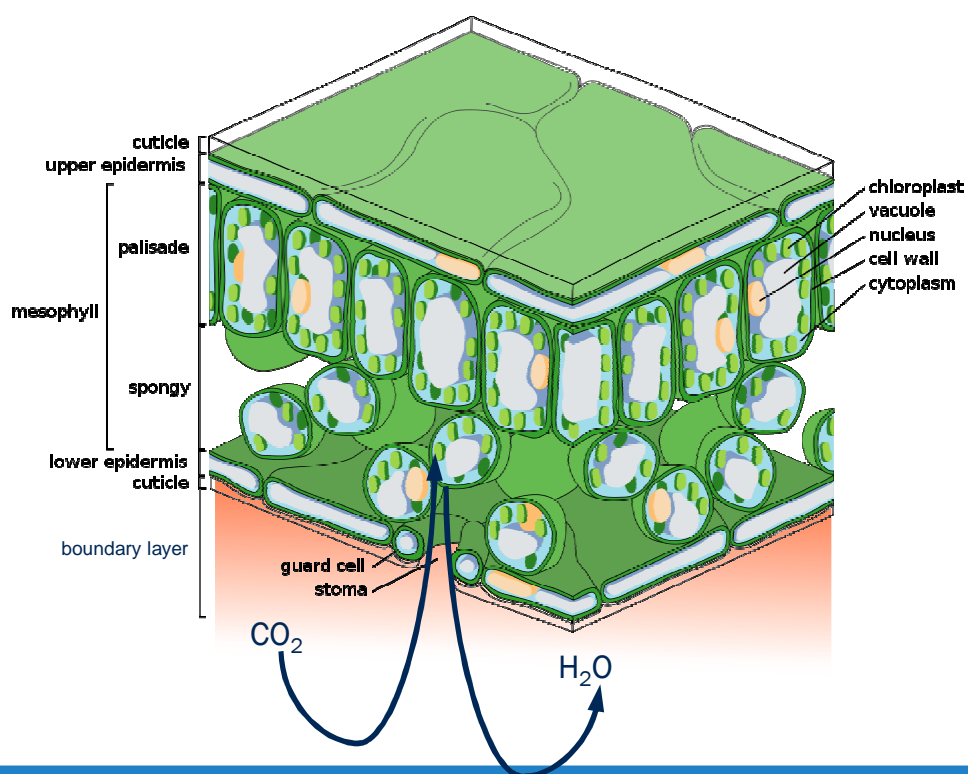
Variable definitions	
W_s, W_r	Sample, reference H ₂ O mole fraction (mmole H ₂ O mole air ⁻¹)
C_s, C_r	Sample, reference CO ₂ mole fraction (μmole CO ₂ mole air ⁻¹)
F	Mass flow rate (μmole air s ⁻¹)
S	Leaf area (cm ²)
E	Leaf transpiration (mmole H ₂ O m ⁻² s ⁻¹)
A	Leaf assimilation (μmole CO ₂ m ⁻² s ⁻¹)

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Why does accounting for dilution matter?



What else can we determine with gas exchange?



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What else can we determine with gas exchange?

- Start by mathematically characterizing flux using Fick's First Law describing flux in one dimension:

Fick's 1st Law:

$$J_j = -D_j \frac{\partial c_j}{\partial x}$$

$$J_j = g_j \Delta c_j$$

$$J_j = \frac{\Delta c_j}{r_j}$$

Note that: $g_j = -\frac{D_j}{\Delta x}$ and $g_j = \frac{1}{r_j}$

J_j = flux density

D_j = diffusion coefficient

Δc_j = concentration gradient

g_j = conductance

r_j = resistance (inverse of conductance)

J_j = flux

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What else can we determine with gas exchange?

- Model transpiration using Fick's 1st law:

$$E = \frac{\Delta W}{r_{TOT}^{H_2O}}$$

$$E = \frac{(W_i - W_a)}{r_{TOT}^{H_2O}}$$

Where:

W_i = leaf intercellular air space H₂O concentration (from T_{leaf} and **assuming internal saturation**)

W_a = H₂O concentration surrounding leaf (from H₂O_S)

E = transpiration that is calculated from mass balance described earlier

$r_{TOT}^{H_2O}$ = total leaf resistance to water vapor flux (unknown)

We know W_i , W_a , and E . Just solve for $r_{TOT}^{H_2O}$!

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What else can we determine with gas exchange?

- Model CO₂ assimilation using Fick's 1st law:

$$A = \frac{\Delta C}{r_{TOT}^{CO_2}}$$

$$A = \frac{(C_i - C_a)}{r_{TOT}^{CO_2}}$$

Where:

C_i = leaf intercellular CO₂ concentration (unknown)

C_a = CO₂ concentration surrounding leaf (CO₂S)

A = CO₂ assimilation that is calculated from mass balance described earlier

$r_{TOT}^{CO_2}$ = total leaf resistance to CO₂ flux

We know $r_{TOT}^{CO_2}$, W_a , and A . Just solve for C_i !

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What else can we determine with gas exchange?

MW = 18.0

$$\frac{D_{H_2O}}{D_{CO_2}} = 1.6$$

MW = 44.0

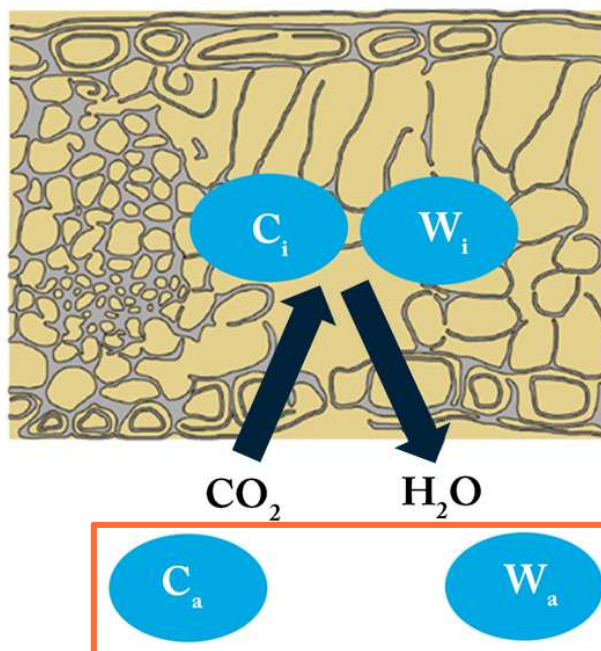
Thus:

$$R_{CO_2} = 1.6R_{H_2O}$$

$$g_{CO_2} = \frac{g_{H_2O}}{1.6}$$

So, C_i can be calculated from:

$$A = \frac{(C_i - C_a)r_{TOT}^{CO_2}}{r_{TOT}^{CO_2}}$$



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What else can we determine with gas exchange?

- How is stomatal resistance to H₂O or CO₂ flux calculated?
- Use Ohm's Law analogy to partition resistances

Ohm's Law

$$V = IR$$

The voltage (V) across two points on a conductor is proportional to the product of current (I) and resistance (R).

$$I = \frac{V}{R}$$

Current (I) is analogous to flux

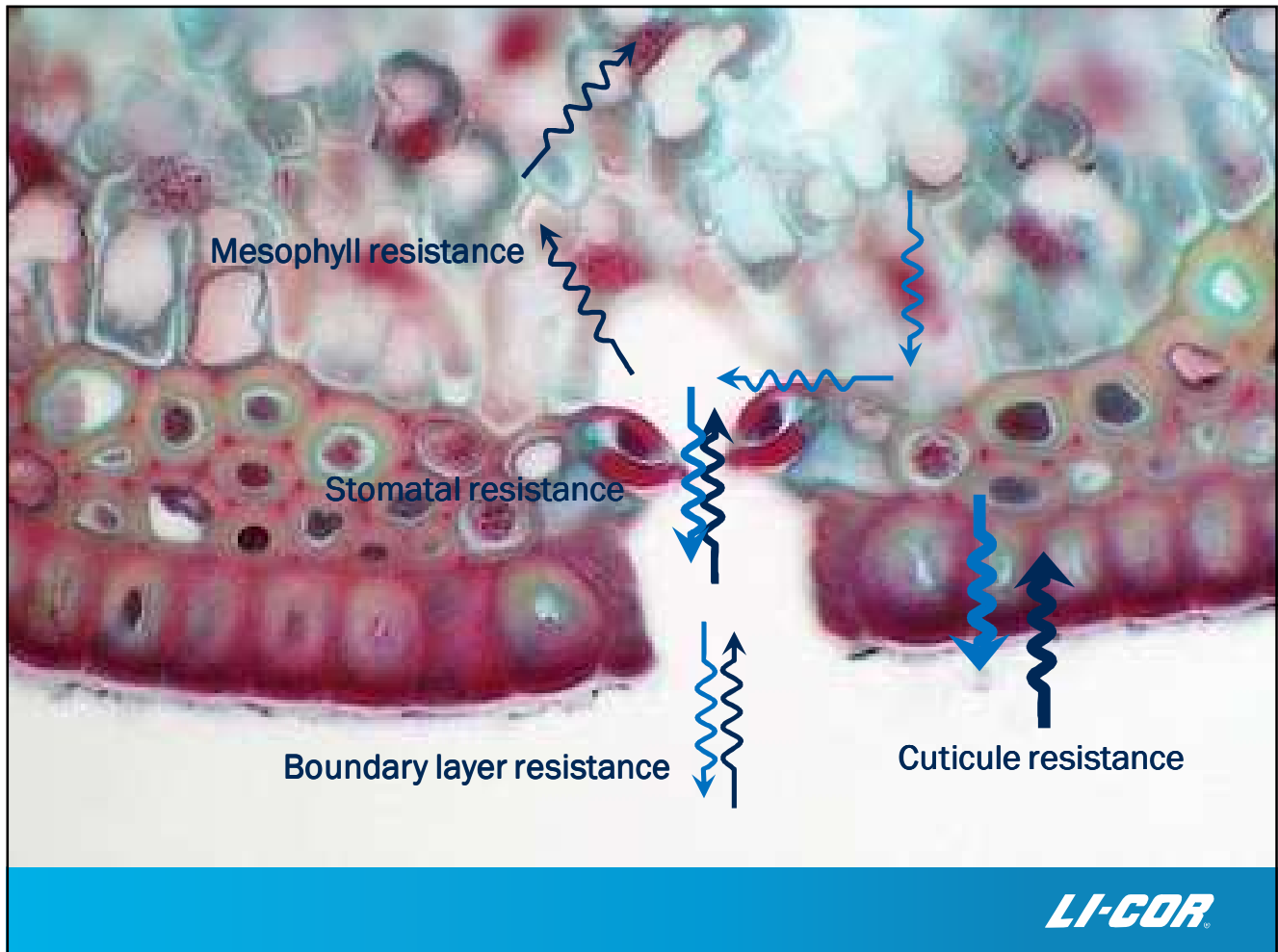
$$G = \frac{1}{R}$$

Conductance (G) is the inverse of resistance (R)

Series resistances:
 $R_{eq} = R_1 + R_2 + \dots$

Parallel resistances:
 $R_{eq} = \left(\frac{1}{R_1} + \frac{1}{R_2} + \dots \right)^{-1}$

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What else can we determine with gas exchange?

- How **stomatal resistance** to H_2O or CO_2 flux calculated?
- Use Ohm's Law analogy

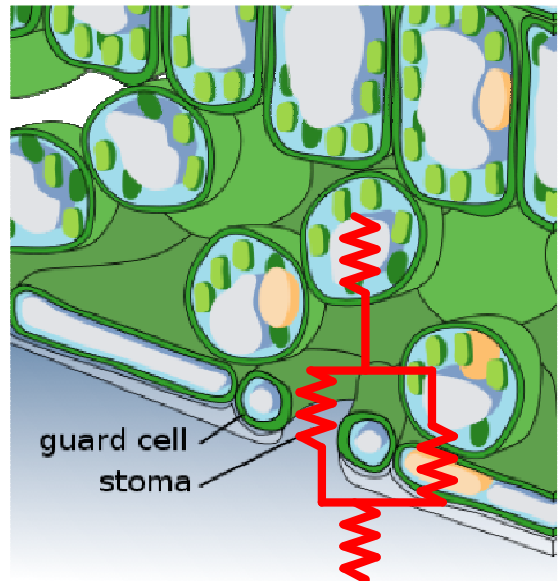
Ohm's Law Analogy

$$r_{total} = r_{bl} + \left(\frac{1}{r_s} + \frac{1}{r_c} \right)^{-1}$$

Assumptions:

- End point of diffusion path is mesophyll surface
- Cuticular resistance is near infinite

$$r_{total} \approx r_{bl} + r_s$$



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Leaf boundary layer



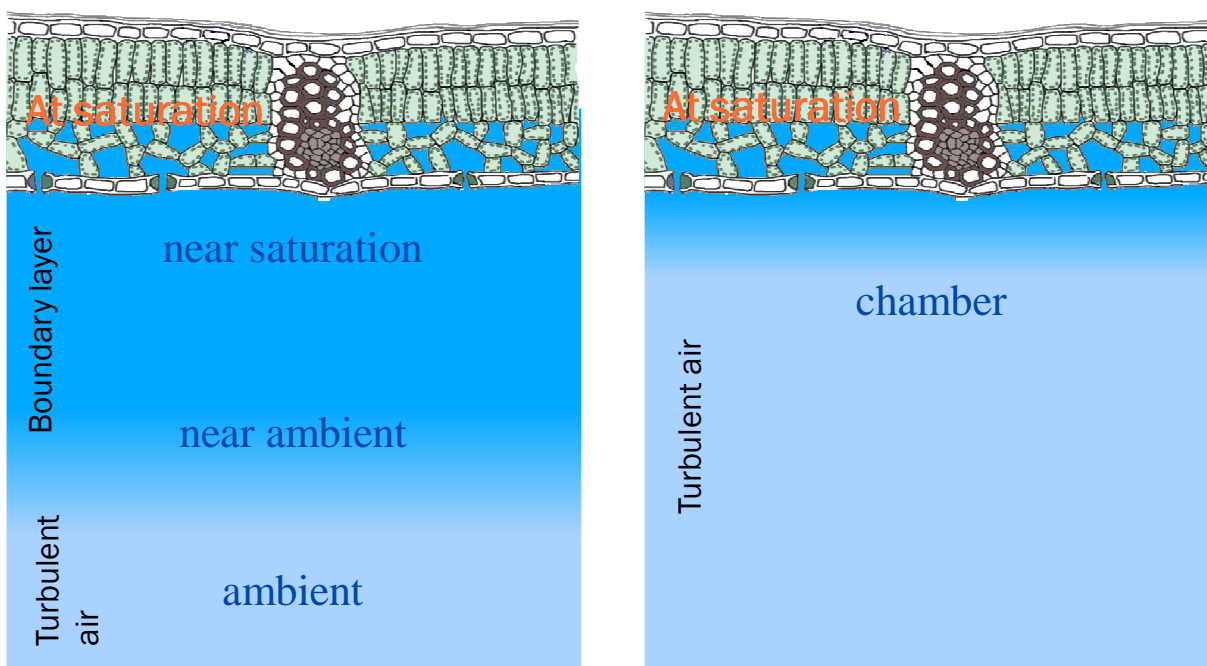
The boundary layer retards the transfer of heat, CO_2 , and H_2O from the leaf to the bulk air.

$$\delta_{(mm)}^{\text{bl}} = 4.0 \sqrt{\frac{l_{(m)}}{v_{(m\ s^{-1})}}}$$

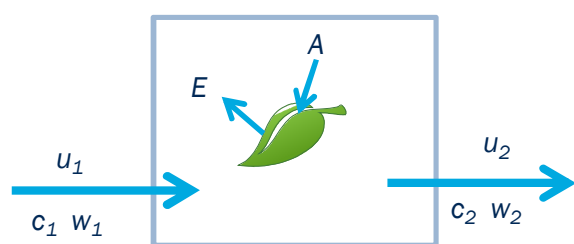
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Leaf boundary layer

- Leaf chamber is well mixed. This dramatically reduces boundary layer resistance, thus forcing r_{bl} towards zero.

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Estimating stomatal resistance

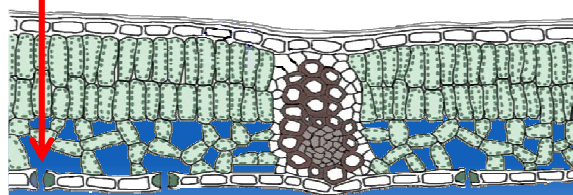


$$E = (u_2 w_2 - u_1 w_1) / \text{leaf area}$$

$$E = \frac{(W_i - W_a)}{r_{TOT}^{H_2O}}$$

$$r_s = r_t \text{ (total resistance H2O)} - r_b \text{ (From look-up table)}$$

W_i from e_s @ T_{leaf}



VPD chamber air

Turbulent air

Sources of error

T_{leaf}

E

$W_i - W_a$ near 0.0

r_b large fraction of r_t

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What does this mean for making measurements?

- Target boundary layer conditions!

$$RH = \frac{e}{e_{(T_{air})}} \bullet 100$$

RH sample 50 – 80 %

$$VPD_{air} = e_{(T_{air})} - e$$

$$VPD_{leaf} = e_{(T_{leaf})} - e$$

e = vapor pressure, e(t) = saturation vapor pressure

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What does this mean for interpreting the data?

- Instantaneous versus Intrinsic

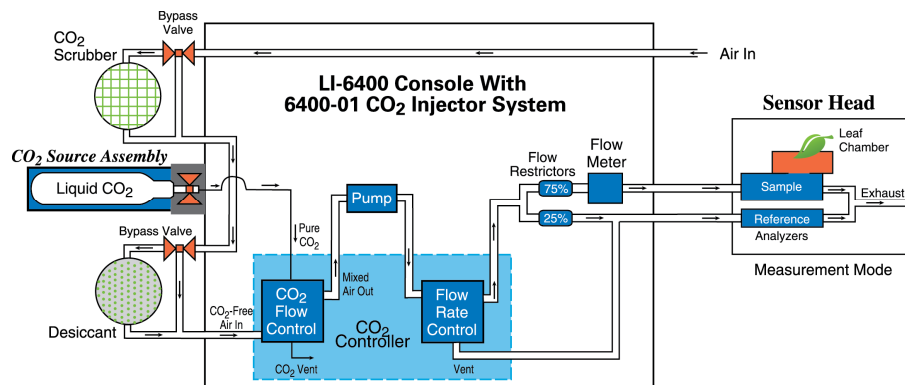
$$W_t = \frac{A}{E} = \frac{A}{g_s(w_i - w_a)} = \frac{A}{g_s D_a} = W_g D_a$$

$$W_g = \frac{A}{g_s} \longrightarrow \text{Better measure of WUE!}$$

LI-6400 / LI-6800 flow path details

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Overview of the LI-6400XT flow path

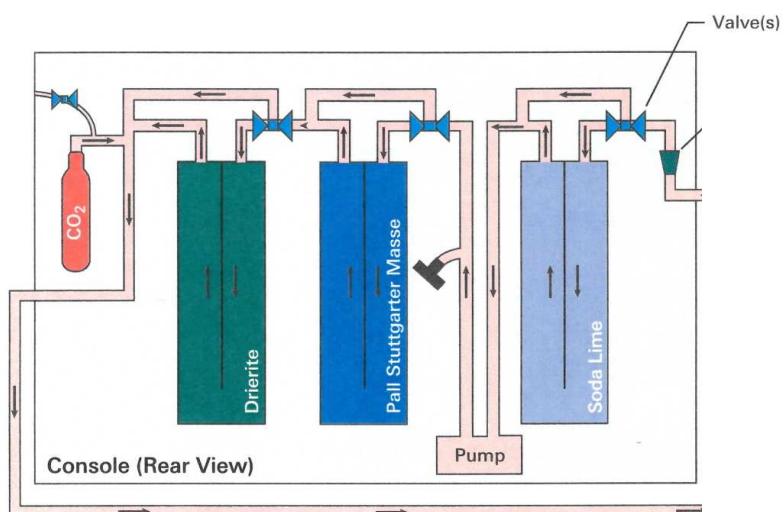


Key features of LI-6400 design:

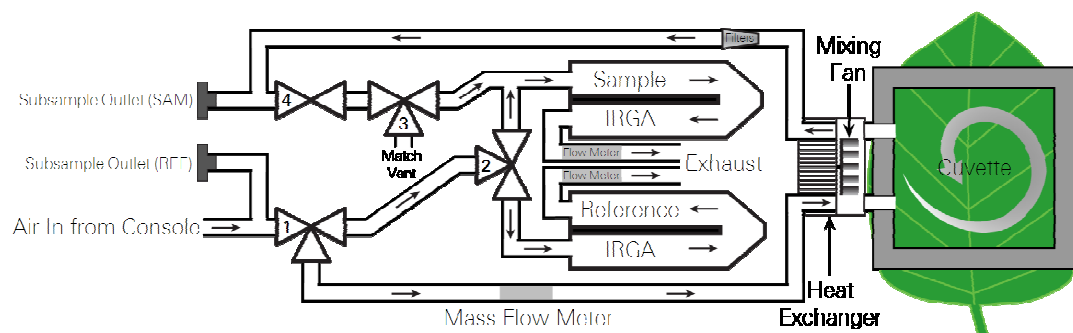
- Manual valve control on two chemical scrub tubes (soda lime and desiccant).
- Chemical scrub tubes and CO₂ injection on negative pressure side of pump
- Flow meter and flow split located in console
- One pump speed
- Two air hoses supply sensor head

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LI-6800 Console flow path

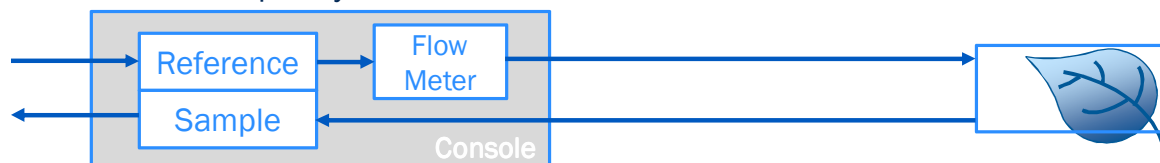
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LI-6800 sensor head flow path

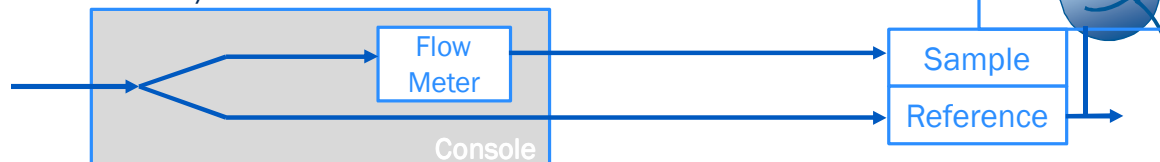


System flow path comparison

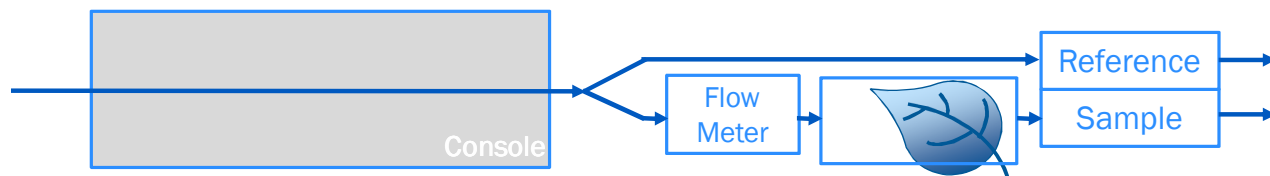
Traditional open system



LI-6400/XT



LI-6800



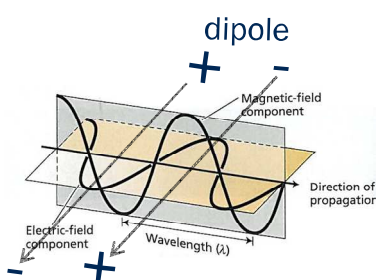
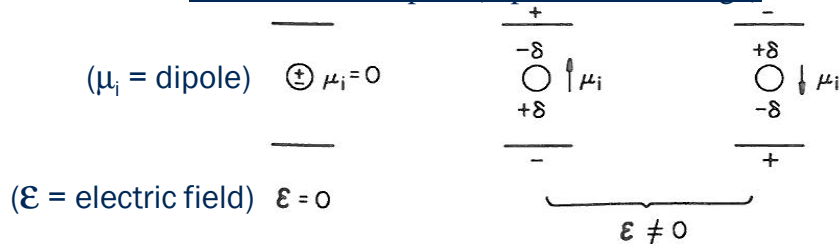
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How do we measure CO₂ and H₂O?

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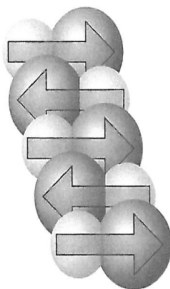
H₂O and CO₂ Absorption in the IR region involves rotations and vibrations

Induction of a dipole (separation of charge)

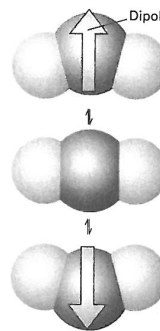


Oscillating dipole of a rotating polar molecule

dipole
+ → -

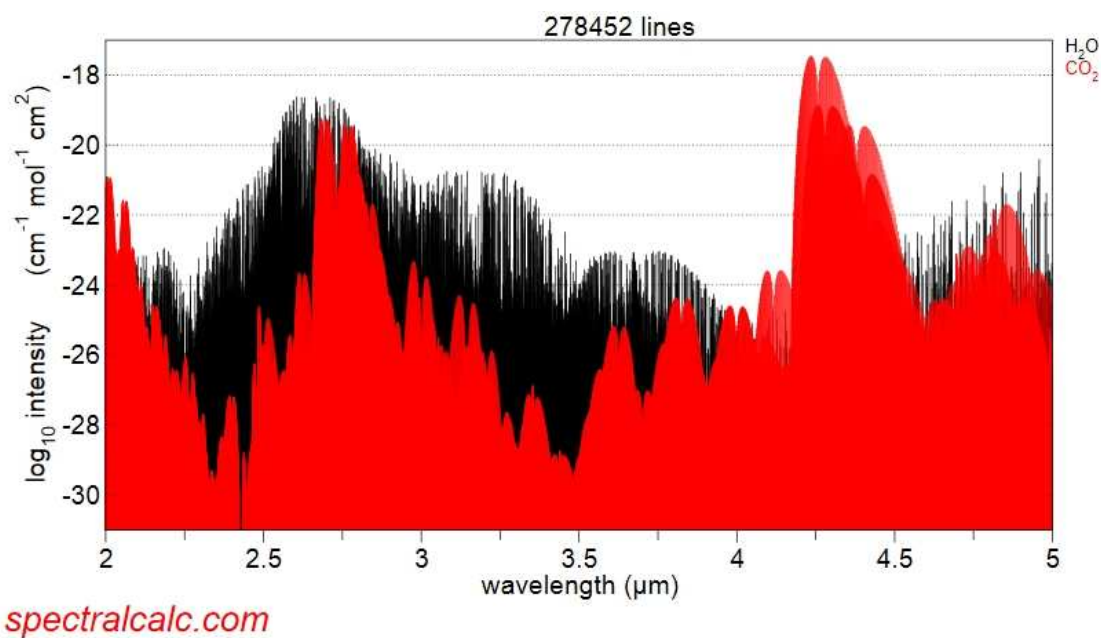


Oscillating dipole of a vibrating non-polar molecule



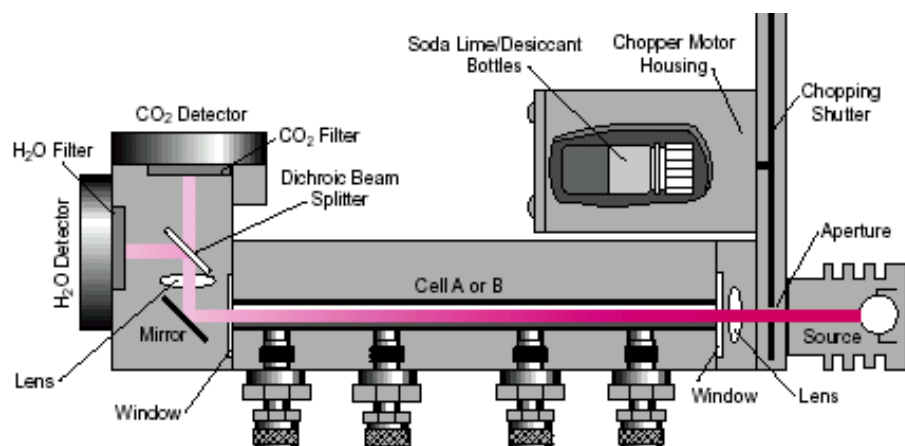
dipole
↑
+
-
↑

CO₂ and H₂O spectra

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Basic IRGA schematic

- CO₂ absorbs infrared light around 4.3 μm
- H₂O absorbs light around 2.6 μm

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How do we measure gas concentration?

- Infrared Absorption by Gases

$$\alpha = 1 - T$$

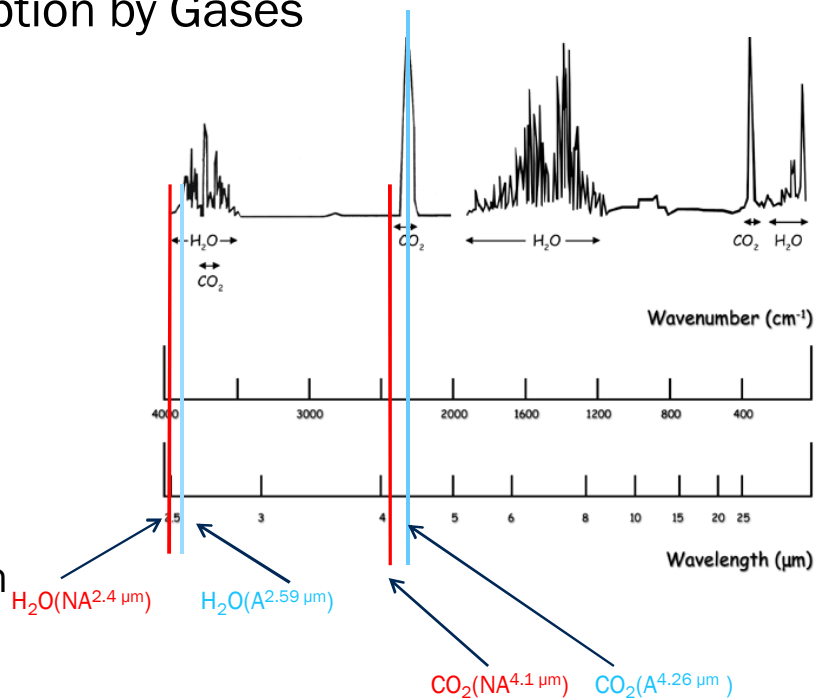
$$\alpha = 1 - \Phi_A / \Phi_{NA}$$

α = absorptance

T = transmittance

Φ_A = transmittance in
absorbing region

Φ_{NA} = transmittance in
non-absorbing region



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How do we measure gas concentration?

- Infrared Absorption by Gases

$$\alpha = 1 - T$$

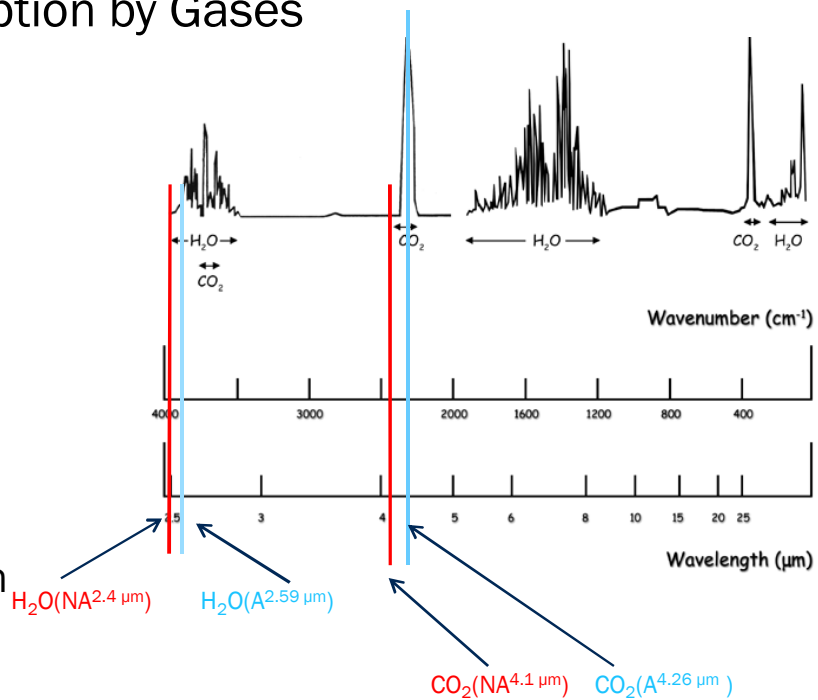
$$\alpha = 1 - \Phi_A / \Phi_{NA}$$

α = absorptance

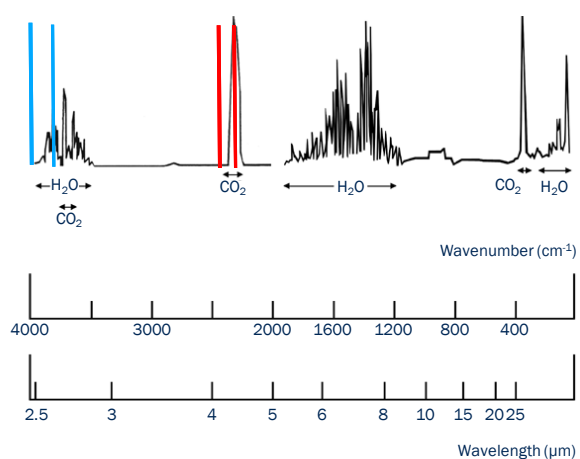
T = transmittance

Φ_A = transmittance in
absorbing region

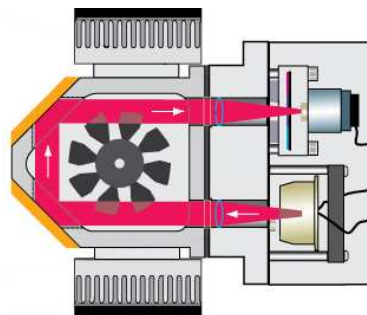
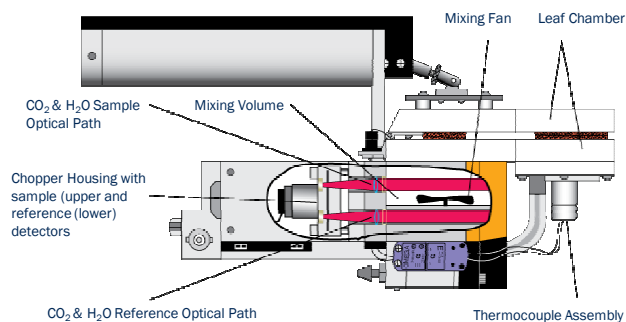
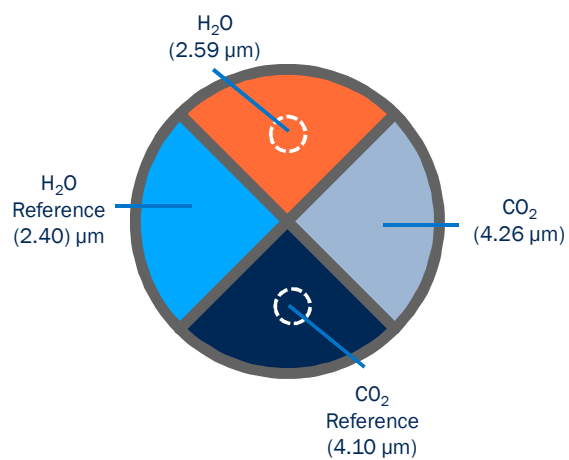
Φ_{NA} = transmittance in
non-absorbing region



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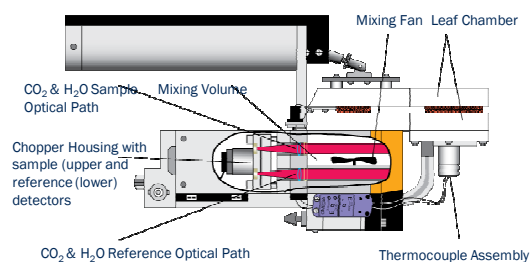
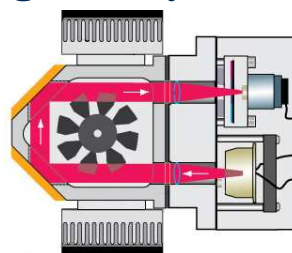
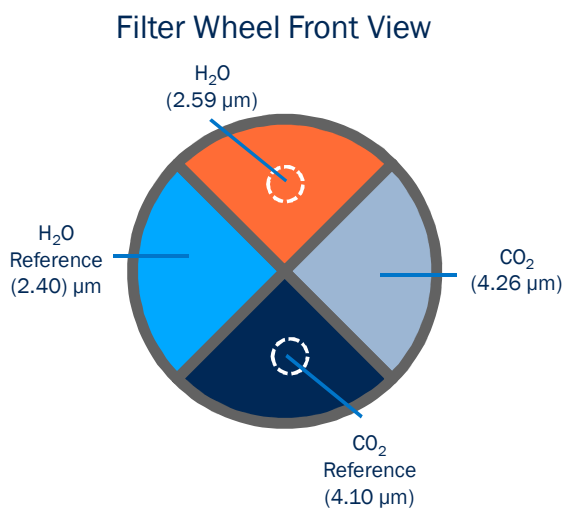


Filter Wheel Front View

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How do we measure gas concentrations?

- Why do we measure absorbing and non-absorbing regions?
- Why do we need a separate reference gas analyzer?

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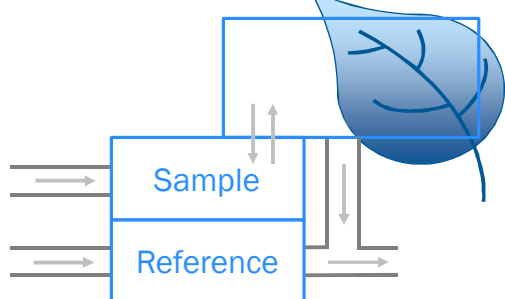
Matching IRGAs

- Very important!
- Why?

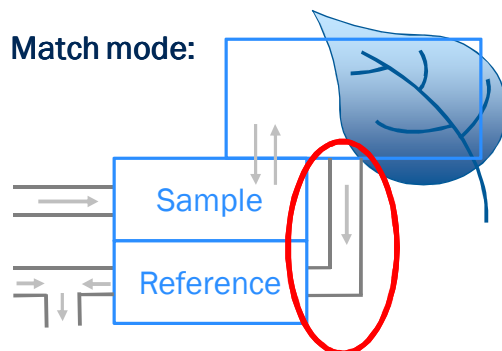
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Matching IRGAs

LI-6400/XT

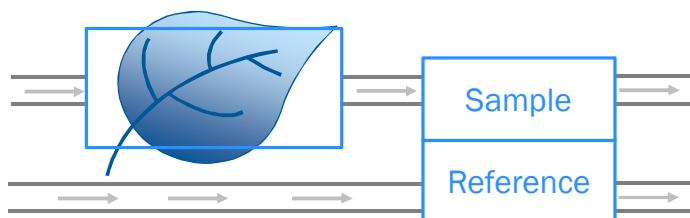


Match mode:

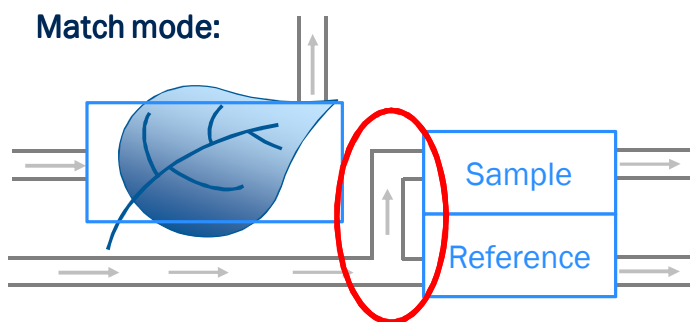


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Normal operating mode:



Match mode:



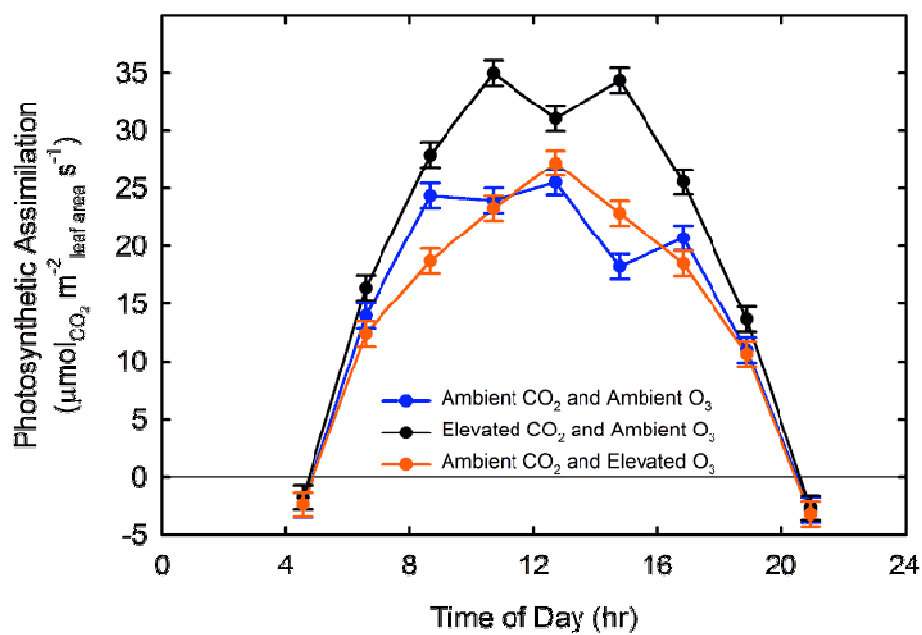
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When to Match

- When you start
- When delta CO₂ or delta H₂O are small
- When Flow rate changes > 100 μmol/s
- When CO₂ concentration changes >100 ppm
- When the temperature changes >5° C
- Every 20-30 minutes

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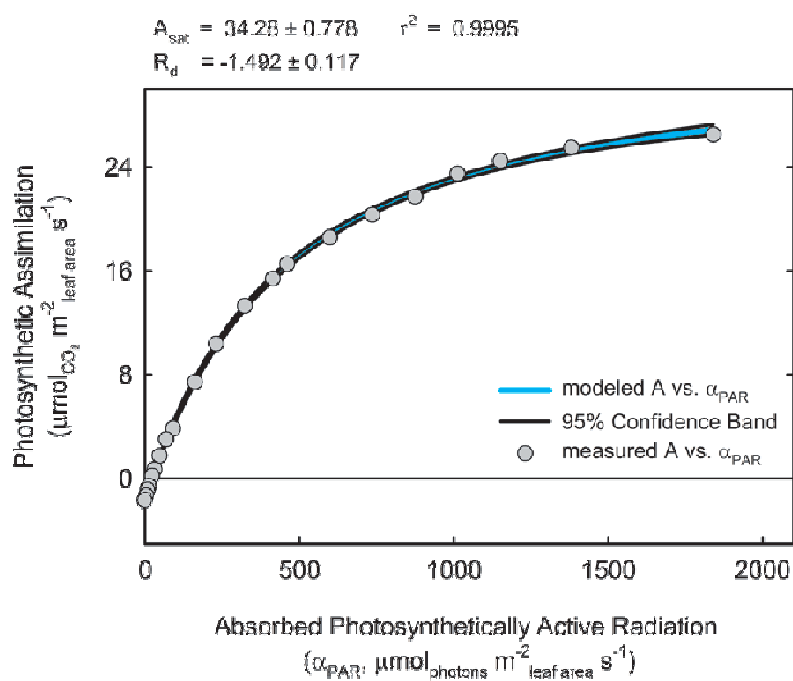
Applications: survey measurements



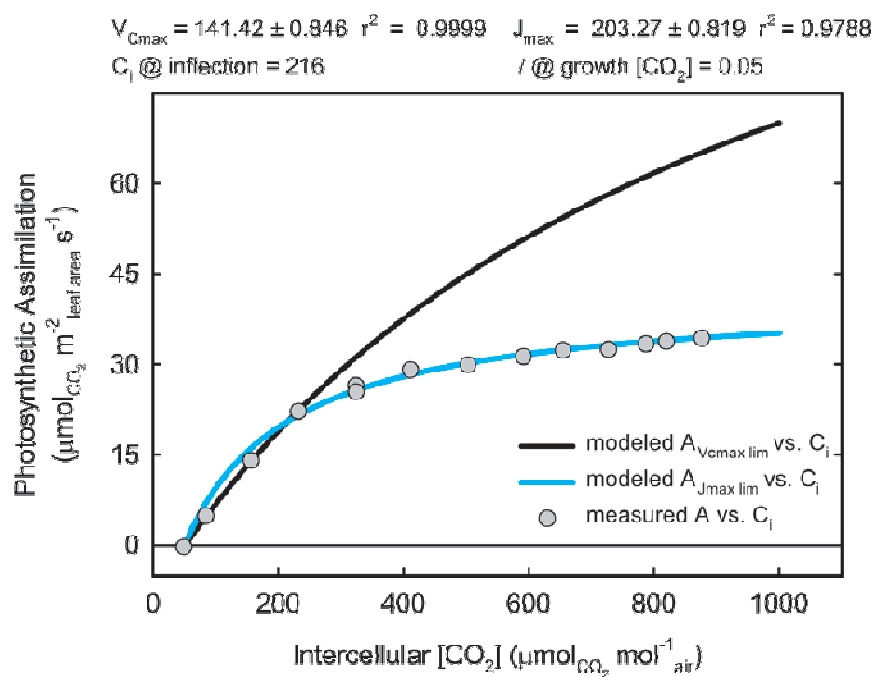
Bernacchi CJ, Leahey ADB, Hady LE, Morgan PB, Dohleman FG, McGrath JM, et al. (2006). Hourly and seasonal variation in photosynthesis and stomatal conductance of soybean grown at future CO_2 and ozone concentrations for 3 years under fully open-air field conditions. *Plant, Cell Environ* 29: 2077-2090.

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Applications: light response curves

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Applications: CO₂ response curves

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Measurement types and benefits

Survey measurements

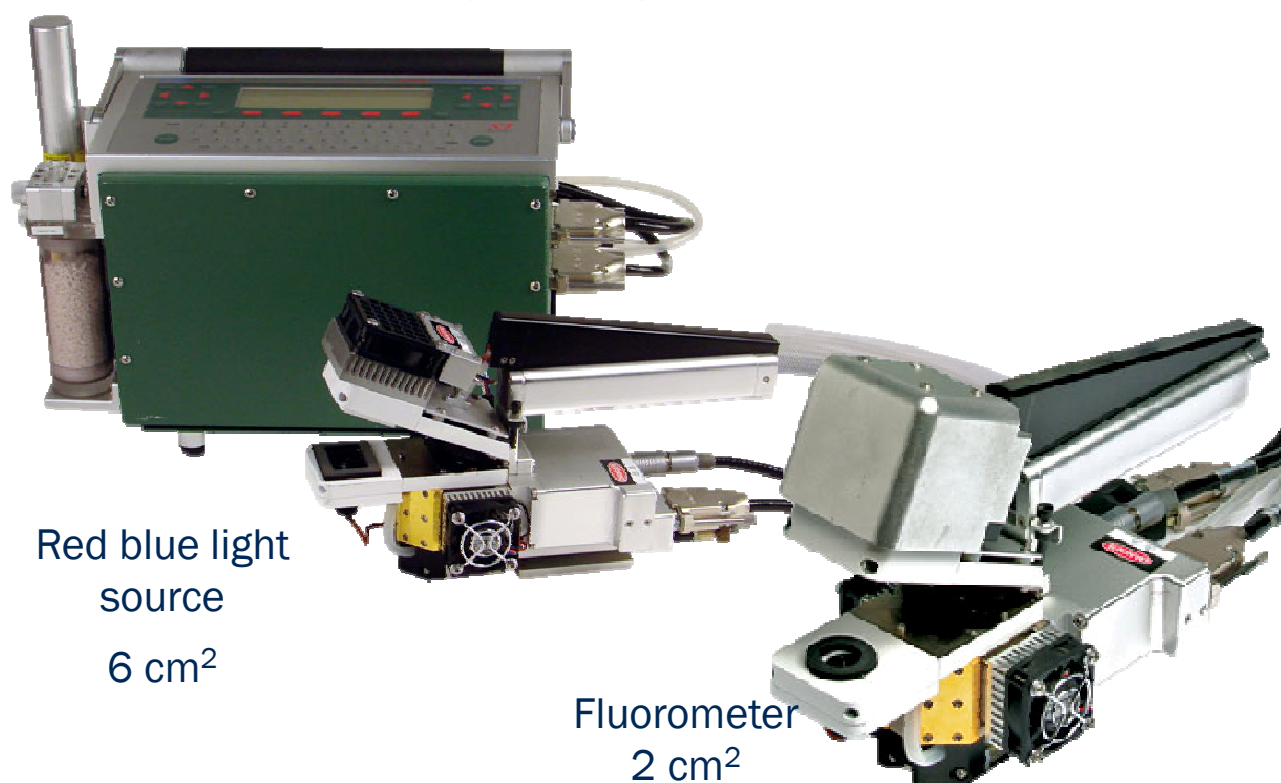
- Snapshot of plant behavior
- Fast measurement
- Can be used to explore diurnal or seasonal plant responses
- Can be used to explore treatment responses

Response curves

- Response to varying environmental conditions
- Can be used to understand leaf biochemistry and plant physiology
- Can be repeated through the course of a season to record biochemical trends

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Selecting the right chamber?



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LI-6400XT Chambers



Fluorescence



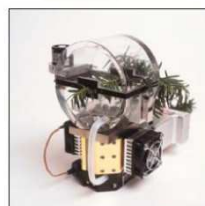
Clear Bottom



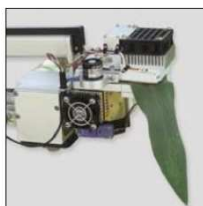
Bryophytes



Needles/Narrow Leaves



Conifers



Light Response



Soil Flux



Arabidopsis

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LI-6800: Chambers



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Thank you!

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